

(6) Let's consider another case:

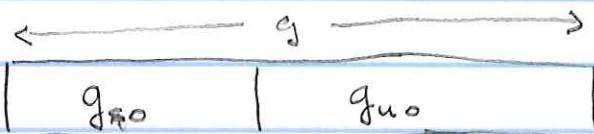
LT permitted

shared LT/TH lane



What is the capacity of the NB lane?

1. Consider these time periods for the SB (opposing) approach.



2. There are two possibilities for the NB (subject) lane:

- The TH vehicles will flow freely as they would in an exclusive TH lane
- the TH vehicles are blocked by a LT vehicle waiting to turn.

So we have to know how long after the green begins that the TH vehicles can flow freely, which is really the time until the first LT vehicle arrives in the server. This time is dependent on both the LT vol and the proportion of LT vehicles of the total flow ($LT + TH$) in the shared lane:

$$V_{LT} \text{ and } \frac{V_{LT}}{V_{LT} + V_{TH}}$$

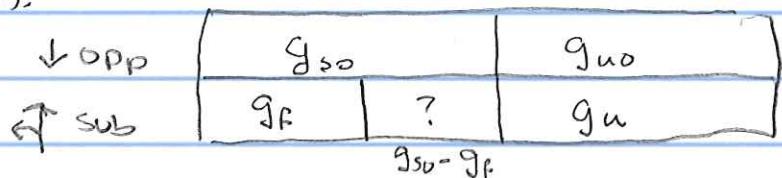
We define g_f as the time after start of green that the first subject LT vehicle arrives.

2015.02.24 (7)

3. Further, we need to know if this first^{subject} LT vehicle arrives before or after the opposing queue clears. Let's look at both cases:

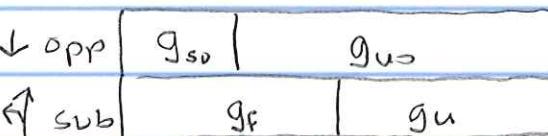
Case 1: First subject LT vehicle

arrives before opposing queue clears.



Case 2: First subject

LT vehicle arrives
after opposing queue
clears.



Case 1: g_f subject lane TH vehicles depart
freely from the intx

$g_{so} - g_f$ first subject LT vehicle arrives
and blocks lane as opposing queue
is still clearing

g_u LT (and TH) vehicles depart, with
LT veh. limited by available
gaps in opp. stream.

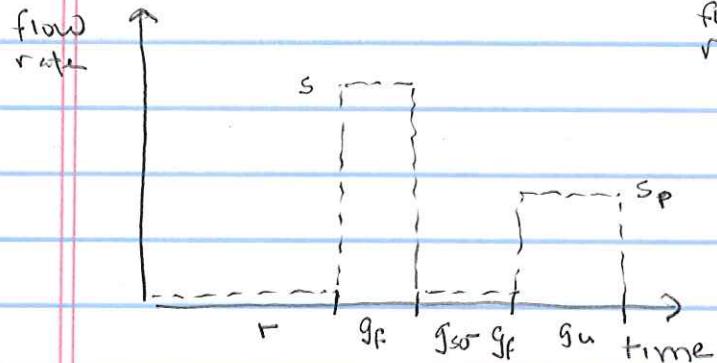
Case 2: g_f subj. lane TH vehicles depart
freely from the intx

g_u LT (and TH) vehicles depart, with
LT vehicles limited by available

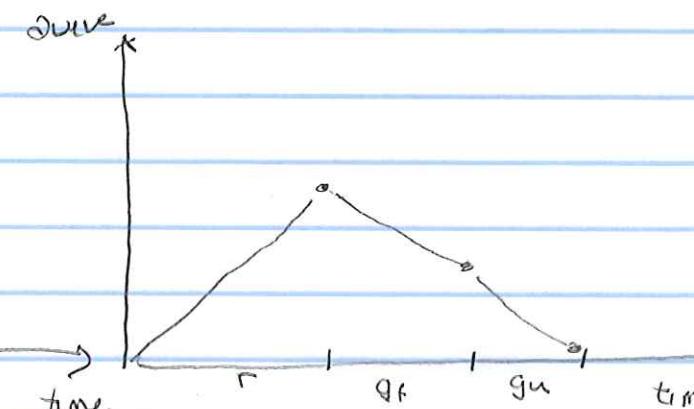
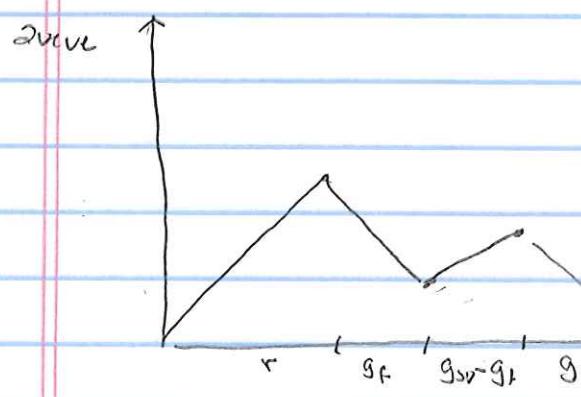
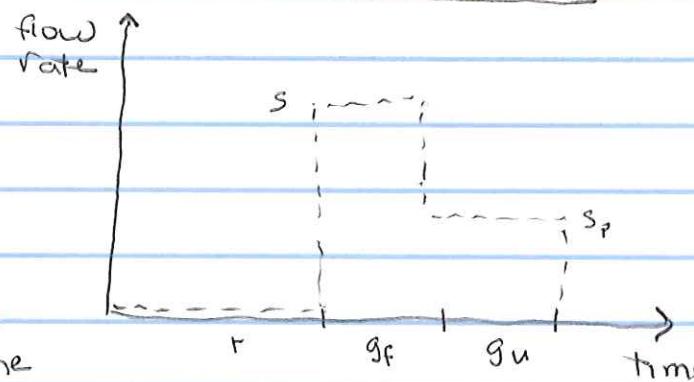
EXERCISE FOR THEM

4. Queuing diagrams

Case 1



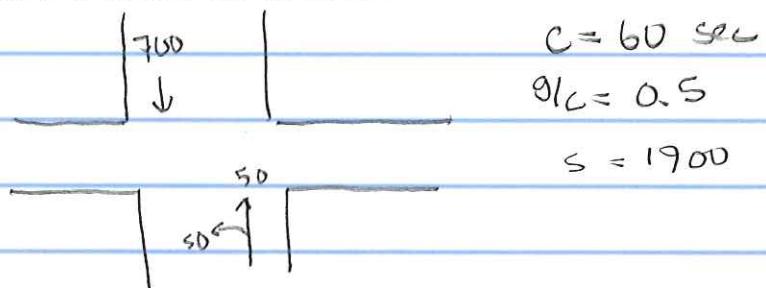
Case 2



Comparison:

1. $g_{so} = 0$

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Example calculationa. Compute g_f

$$g_f = g e^{-\left(\frac{S}{C} - \frac{1}{C}\right) \cdot \frac{62.9}{60}} , \quad g_f \leq g$$

 g = eff. green time

$$LTC = LTC \text{ per cycle} = \frac{V_{LT}}{\left(\frac{S}{C}\right)}$$

$$LTC = \frac{V_{LT}}{\left(\frac{S}{C}\right)} = \frac{30}{\left(\frac{1900}{60}\right)} = 0.833 \text{ LTC/cycle}$$

$$\begin{aligned} g_f &= g e^{-\left(\frac{S}{C} - \frac{1}{C}\right) \cdot \frac{62.9}{60}} \\ &= (30) e^{-\left(\frac{1900}{60} - \frac{1}{60}\right) \cdot \frac{62.9}{60}} \\ &= (30) e^{-\left(31.67 - 0.0167\right) \cdot 1.0483} \\ &= (30) e^{-31.65 \cdot 1.0483} \\ &= 30 (0.4646) \\ &= 14.0 \text{ s} \end{aligned}$$

$$\begin{aligned} b. \text{ compute } g_{g_0} &= \frac{V_0 r}{S - V_0} = \frac{(700)(30)}{1900 - 700} \\ &= 17.5 \text{ s} \end{aligned}$$

$$c. g_u = g - g_{s_0} \quad \text{if } g_{s_0} \geq g_f$$

$$= g - g_r \quad \text{if } g_u < g_r$$

(10)

$$d \cdot g_{so} - g_f = 17.5 - 14.0 = 3.0 \text{ s}$$

	$r = 30$		
opp ↓	$g_{so} = 17.5$		$g_{uo} = 12.5$
sub. ↗↑	$g_f = 14.0$	3.5	$g_u = 12.5$

